

Reverberation of high-redshift quasars and its application to trace the dark energy

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in collaboration with

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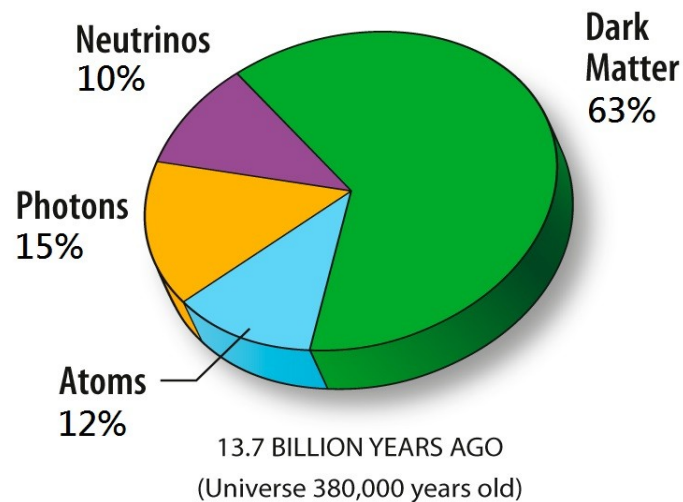
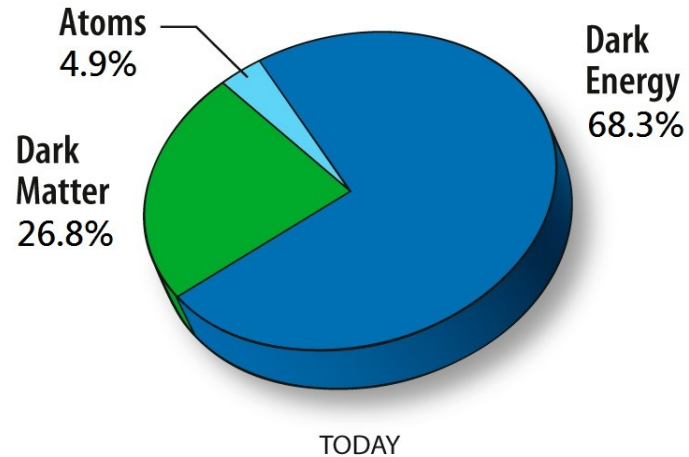
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Outline

- Dark energy issue and the need for independent measurement methods
- Outline of the quasar-based method
- Key technical issue: measurement of the time delay of two lightcurves

Dark energy issue



Recent results from Planck:

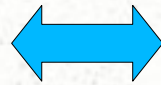
These 4.9 % of barionic matter consists of:

Stars - 0.5 %
Gas - 4.1 %
Neutrinos - 0.3 %

We need more independent tests to believe!

Current methods of dark energy measurements

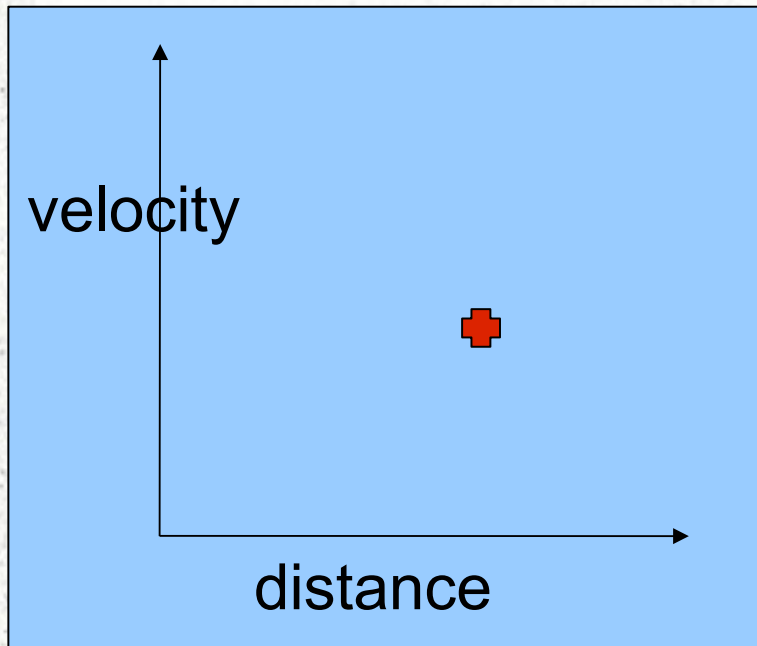
Universe
content



Universe
expansion rate

- Standard candle: Supernovae Ia
- Standard ruler: Cosmic Microwave Background, Large Scale Structure including Barion Acoustic Oscillations,

Measuring the expansion of the Universe with a single object



Hubble diagram

Measuring the expansion of the Universe with a single object

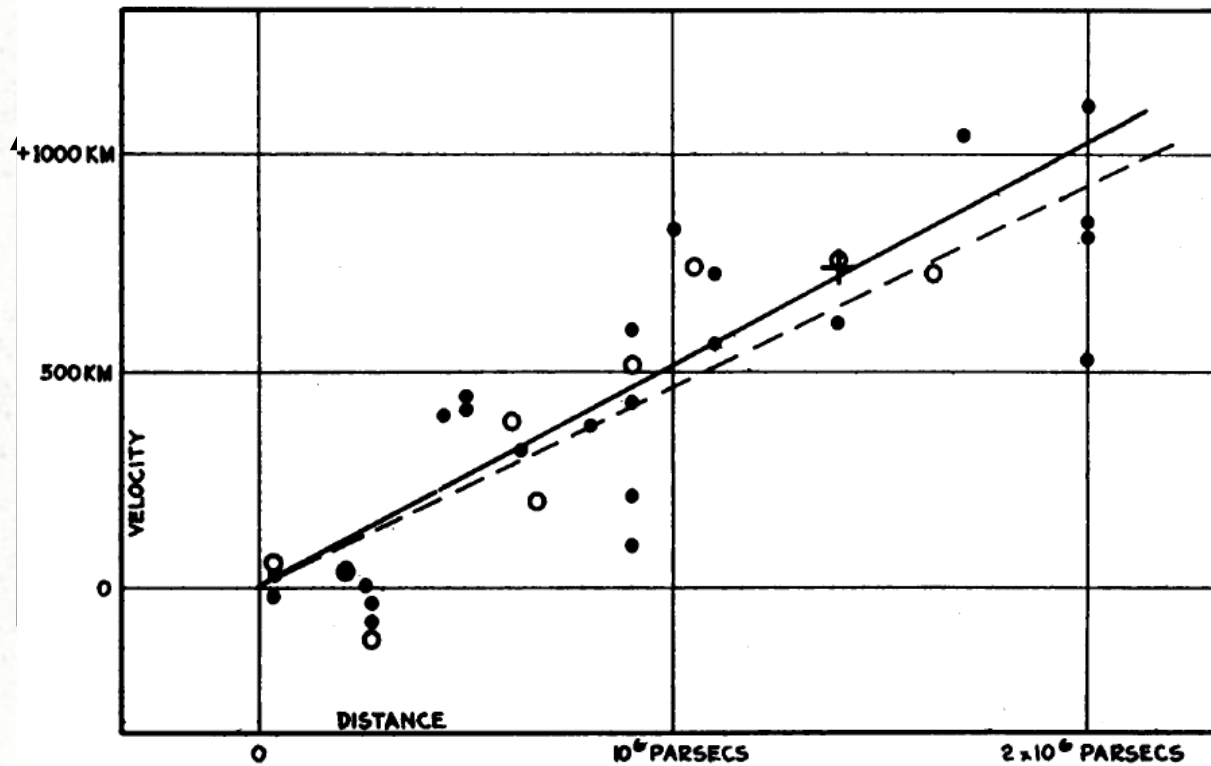
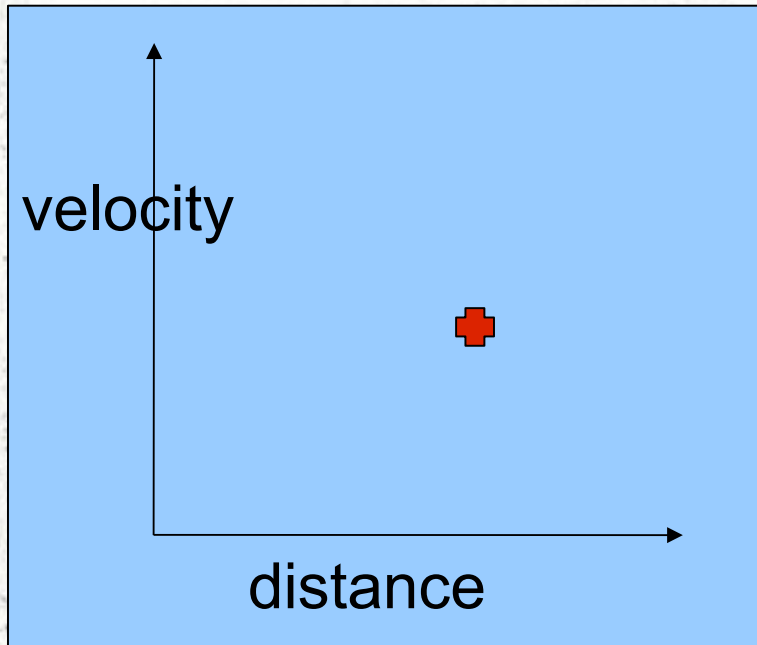


FIGURE 1

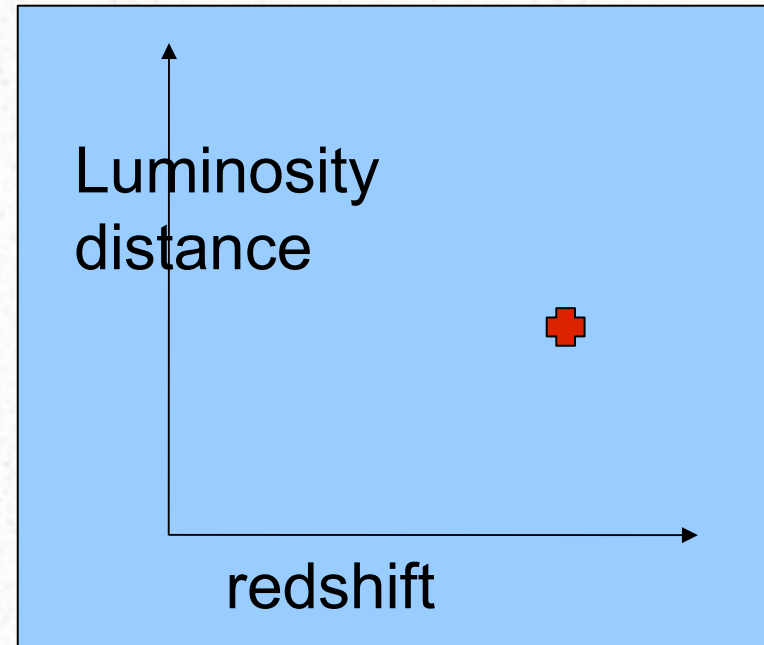
Velocity-Distance Relation among Extra-Galactic Nebulae.

Original Hubble paper

Measuring the expansion of the Universe with a single object



Hubble diagram



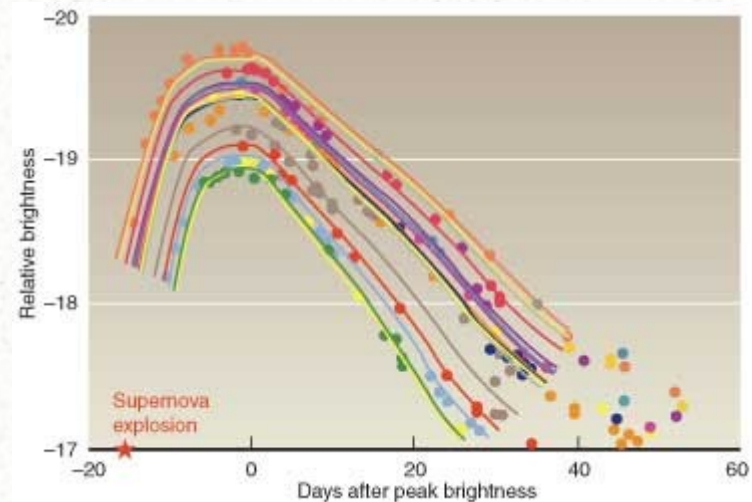
Usual diagram for SN Ia

Luminosity distance

$$D_L = \sqrt{\frac{L_{\text{intr}}}{4 \pi F_{\text{obs}}}} \quad 1/2$$

So the problem reduces to determination of the absolute luminosity NOT from the redshift but independently

In SN Ia this happens since SN Ia are 'standard candles'



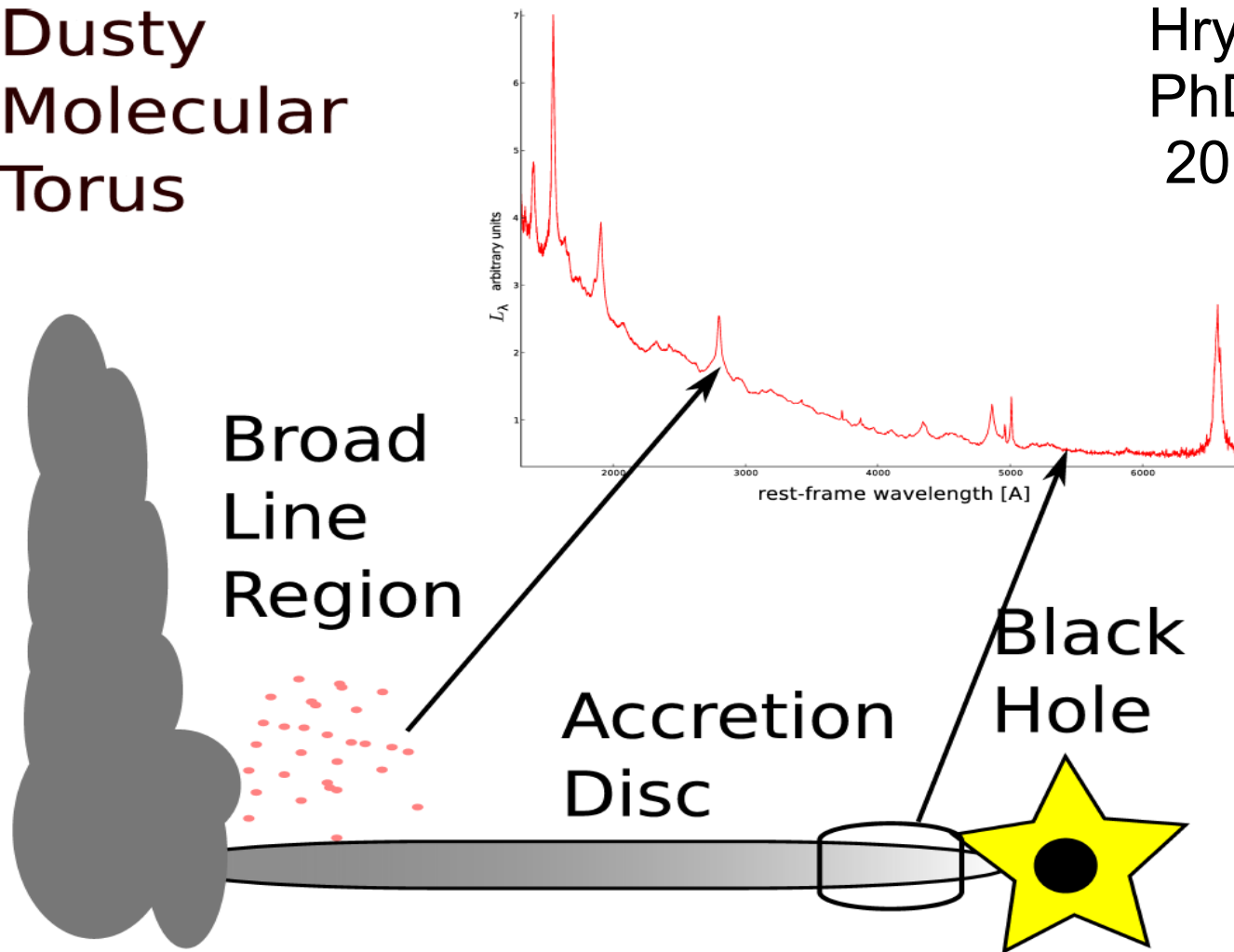
<https://www.llnl.gov/str/SepOct08/hoffman.htm>

Now we have to do 'the same' for quasars

Absolute luminosity.I.

Dusty
Molecular
Torus

Hryniewicz
PhD Thesis
2013



Absolute luminosity.II.

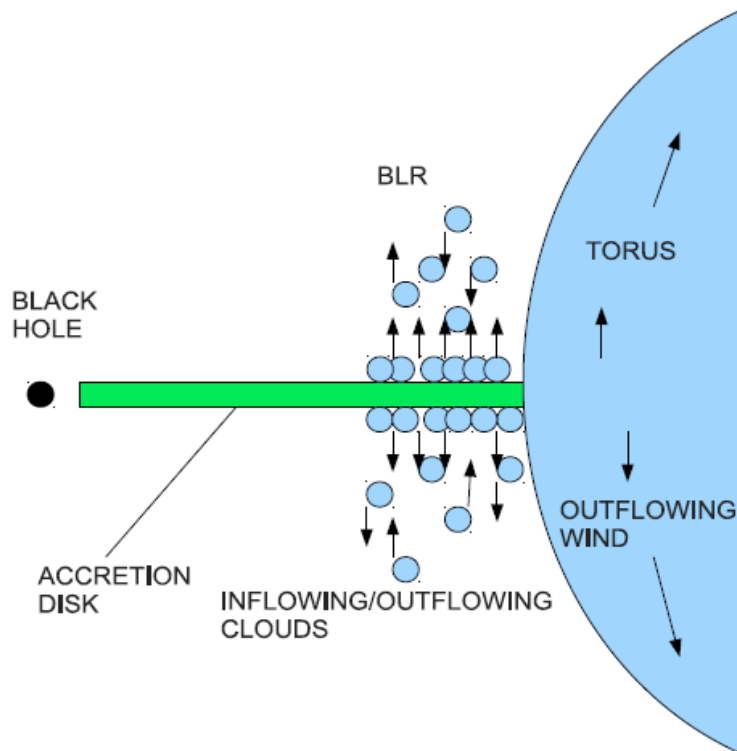


Fig. 1. The BLR region covers the range of the disk with an effective temperature lower than 1000 K: the dusty wind rises and then breaks down when exposed to the radiation from the central source. The dusty torus is the disk range where the irradiation does not destroy the dust and the wind flows out.

Theory outlined in Czerny & Hryniewicz (2011):

- Large outflow forms in the region where the disk temperature is below 1000 K and allows for dust formation
- Outflow is caused by radiation pressure acting on dust grains
- Far from the disk the dusty clouds are irradiated and dust evaporates
- Dustless material loses support against gravity and falls back
- Failed wind forms

Absolute luminosity.III.

From Shakura-Sunyaev accretion disk model the disk temperature, T_{eff} , as a function of disk radius is

$$F(R) = \sigma T_{eff}^4 = \frac{3GM\dot{M}}{8\pi R^3} \quad (1)$$

i.e. assuming that BLR starts at $T_{eff} = 1000K$, where dust forms in the disk atmosphere we can obtain this radius $R = R_{BLR}$

$$R_{BLR} = \frac{3GM\dot{M}}{8\pi\sigma(1000K)^4}^{1/3} \quad (2)$$

i.e. depends on the black hole mass, M and accretion rate, \dot{M} . But again from Shakura-Sunyaev accretion disk model the monochromatic luminosity from the whole disk at a fixed frequency is given by

$$L_\nu = 0.91 \frac{\nu}{10^{15}Hz}^{1/3} (M\dot{M})^{2/3} \cos i \quad (3)$$

This gives the know trend with frequency, $L_\nu \propto \nu^{1/3}$, and for a fixed frequency, ν , combined with Eq.* reproduces the result known from reverberation of nearby active galaxies

$$R_{BLR} = const L_\nu^{1/2} \quad (4)$$

const contains only known physical/mathematical constants, does not depend on M or \dot{M} .

Spectroscopic studies of time delay of line vs. continuum

$$R_{BLR} = \text{const} \quad L_{\nu}^{1/2}$$

Technical problem:

We have two lightcurves:

- **continuum luminosity**
- **line luminosity**

Line curve is delayed but results from complex reprocessing with unknown transfer function

Goal: measuring time delay

Spectroscopic studies of time delay of line vs. continuum

$$R_{BLR} = \text{const} \quad L_{\nu}^{1/2}$$

Past reverberation studies:

- about 40 nearby AGN
- about 10 $z < 0.4$ quasars
- 7 distant objects but only 1 detection

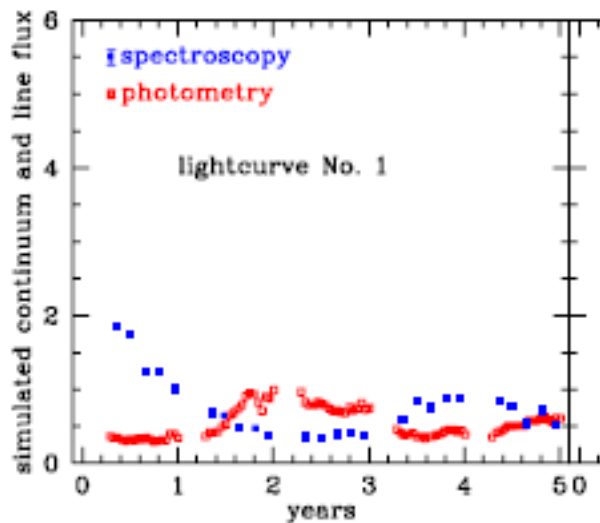
Our SALT current campaign:

Three $z = 1$ quasars



SALT setup: simulations

- Expected delay: 500 – 600 days
- Five spectroscopic observations a year, with over 3 months gap for source observability
- Denser photometric monitoring



Artificial lightcurves:

- red noise power law for continuum
- delayed continuum convolved with a Gaussian for a line
- both include poissonian measurement errors

Czerny et al. 2013

Tested methods for SALT setup

- Interpolated CCF
- Z-transformed DCF
- Chi2 fitting

In simulations the best results were obtained for chi2 fitting, somewhat worse for ZDCF, and poor for ICCF.

*Methods untested for our setup:
modeling stochastic lightcurve in
time domain:*

- CAR - continuous autoregressive process (Kelly et al. 2009), appropriate for sources with the power spectrum
$$P_X(f) = \frac{2\sigma^2\tau^2}{1 + (2\pi\tau f)^2}$$
- (i) creation of the 'smoothed' stochastic lightcurve at the observational points (removes 'accidental' flares ?)
- (ii) the same method but used to fill the observational gaps and/or create denser lightcurve (Zu et al. 2011, Grier et al. 2012)

*Methods untested for our setup:
modeling stochastic lightcurve in
time domain:*

- (iii) methods more advanced than CAR
 - ** Kozlowski et al. 2010 – higher order generalization of CAR
 - ** Graham et al. (2014) – Slepian wavelet variance

Can they be effectively used to determine better the time delay from poor lightcurves?

Spectroscopic studies: alternative to SALT



SALT current campaign:

Three $z = 1$ quasars

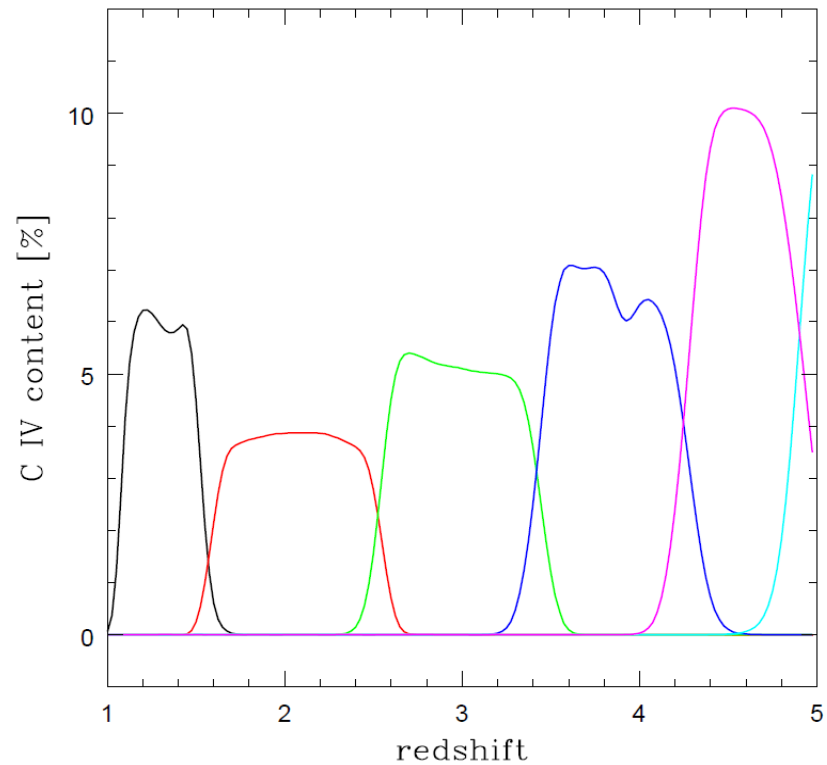
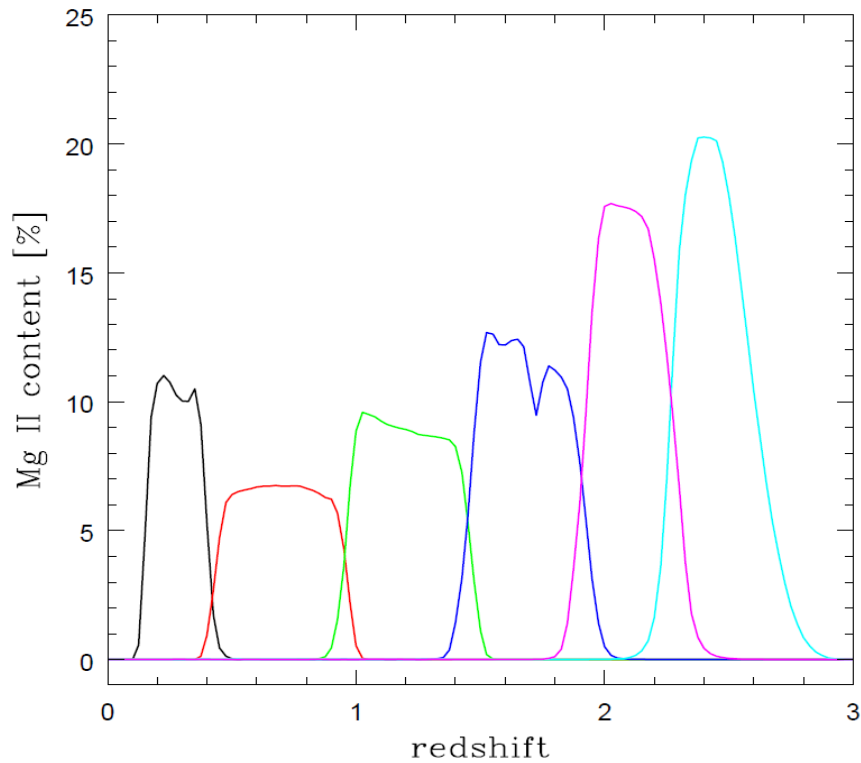
LAMOST spectroscopic survey telescope in China

Advantages and disadvantages:

- A few thousands of quasars in comparison with three in SALT
- Much lower accuracy; 6 – 10 percent error in line measurement in comparison with 1 percent in SALT

Pure photometric multi-channel studies

We also simulate now the possibilities to use the future LSST (Large Synoptic Sky Survey). Preliminary estimates of the line contribution to the photometric channels.



Observational setups for LAMOST and LSST

- LAMOST - ten spectrophotometric observations of an object per year, large errors (up to 10 per cent), thousands of objects
- LSST - up to 100 observations per year of an objects, line and continuum combined, hundreds of thousands of objects

**WHICH METHOD WILL BE MORE EFFECTIVE
IN THESE TWO CASES?**

First quasar with tentatively measured delay from HET

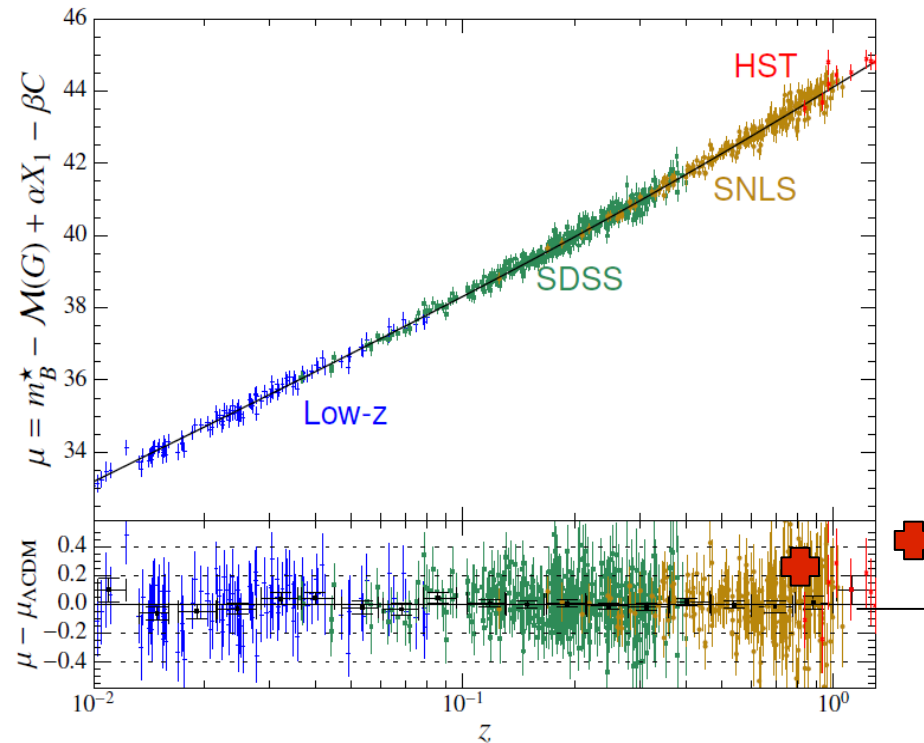


Fig. 8. *Top:* Hubble diagram of the combined sample. The distance modulus redshift relation of the best-fit Λ CDM cosmology for a fixed $H_0 = 70 \text{ km s}^{-1} \text{ Mpc}^{-1}$ is shown as the black line. *Bottom:* Residuals from the best-fit Λ CDM cosmology as a function of redshift. The weighted average of the residuals in logarithmic redshift bins of width $\Delta z/z \sim 0.24$ are shown as black dots.

Figure from Betoule et al. 2014

Quasar S5 0836+7

HET 7 yr monitoring
Kaspi et al. (2007)

tau_rest = 595 days

z = 2.172

Delta mu = + **0.39**

Our source CTS C30.10:
tau_rest 260 days (?)

z = 0.9

Delta mu = +**0.28**